

## SHORT NOTES

CHAPTER

## **Heat And**



Heat & Temperature

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The linear variation in some physical property

of subtance with change of schiperatore  

$$\rightarrow \text{Thermometric probenty (x)}$$
(i) length of liquid in (abillary  
(ii) pressure of gas at (onstant valume  
(iii) volume of gas at (onstant pressure.)  
Now thermometric property at tomberative 0°C, 100i  
2 Tc° C is xo, x100° xt  
So,  $T_c = \alpha x + b$   

$$\Rightarrow \frac{T_c \cdot D}{100 - 0} = \frac{x - x_0}{x_{100} - x_0} \left[ \frac{T_c = \frac{x - x_0}{x_{100} - x_0}}{x_{100} - x_0} \right]$$



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## > These are different systems of measurments of temperature.

Lower fix point (LFP) & Upperfix point (UFP)

system of units	Units	Lower point	upper boint	Difference
Degree Celcius	۰۲	oc	100°0	100
Kelvin scale	K	273.15k	373.15k	100
Fahrenheit	°F	32°F	2"12°F	180
		6		

= K-273 0-00 180 100

00 -> lower point of a scale n -> difference of the scale



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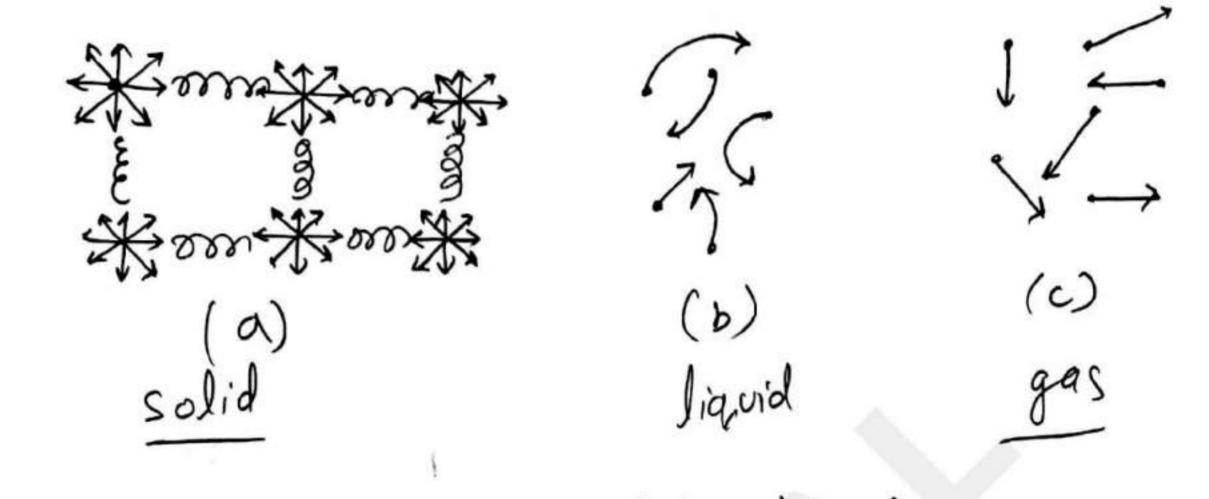
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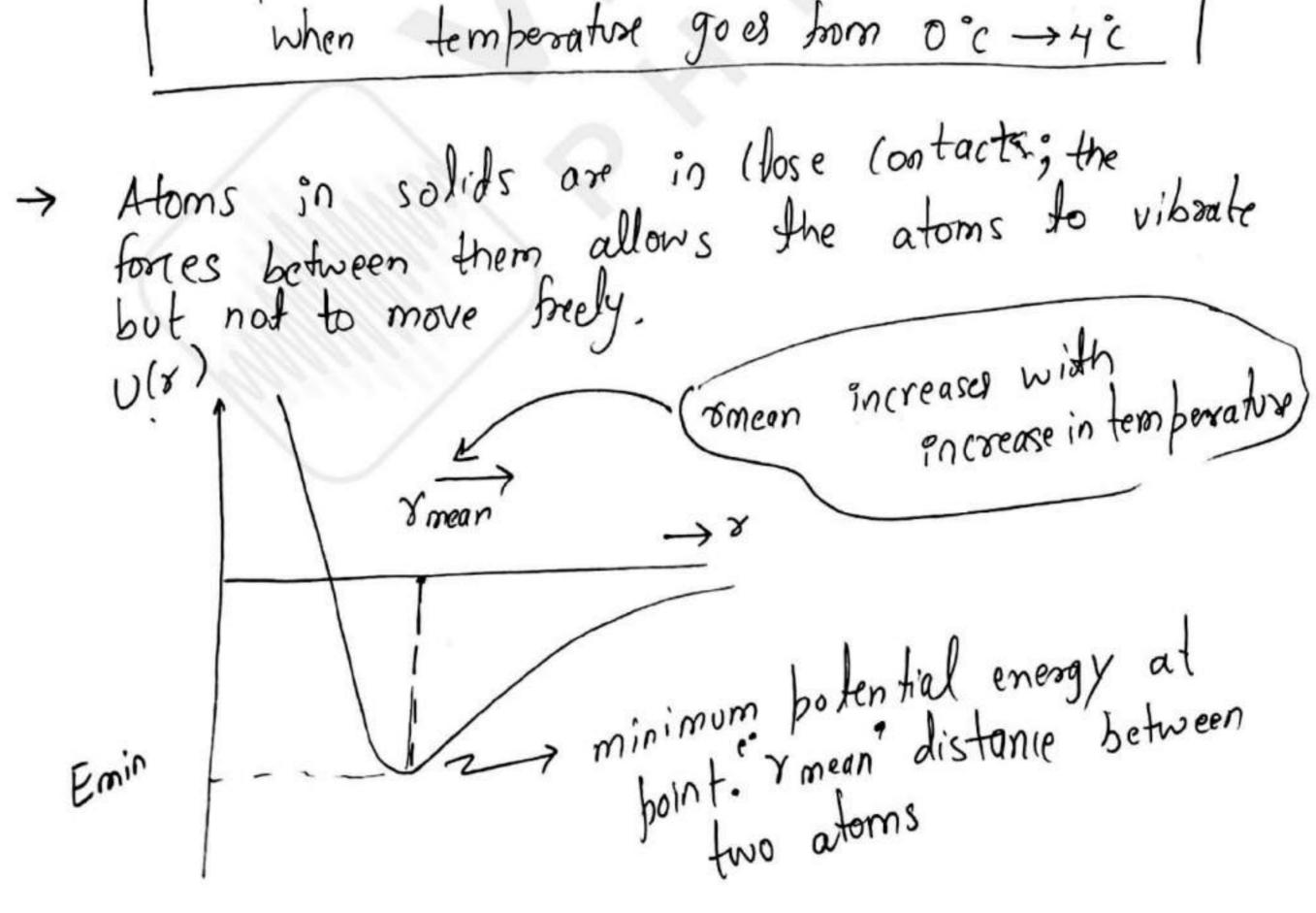


Thermal expansion



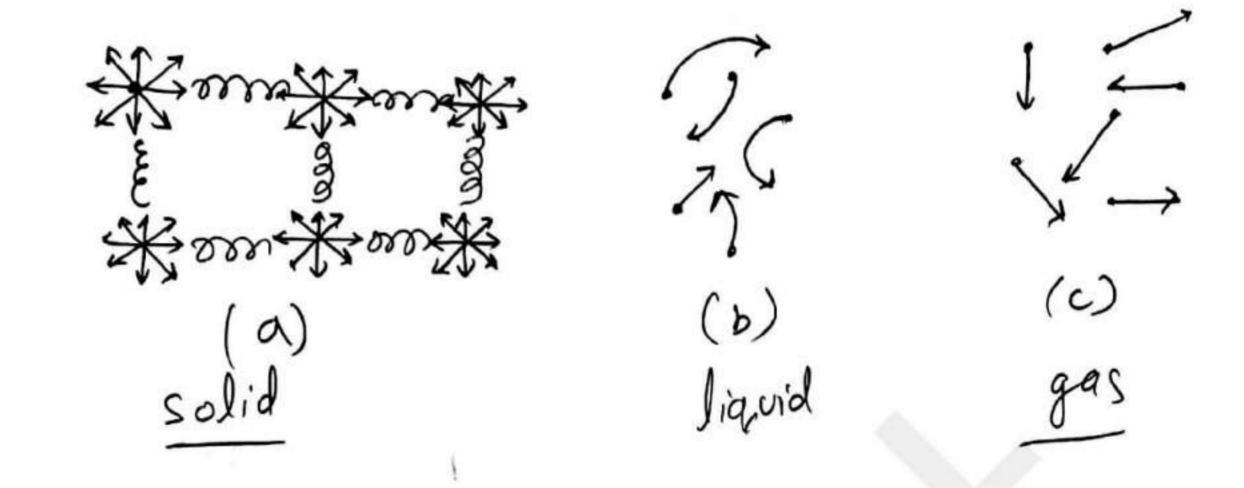
->a,b,c shows moleules of solid, liquid and gas respectively

> Most substances expands when their temperature raised & contract when cooled. [exception to this statement: water contracts]



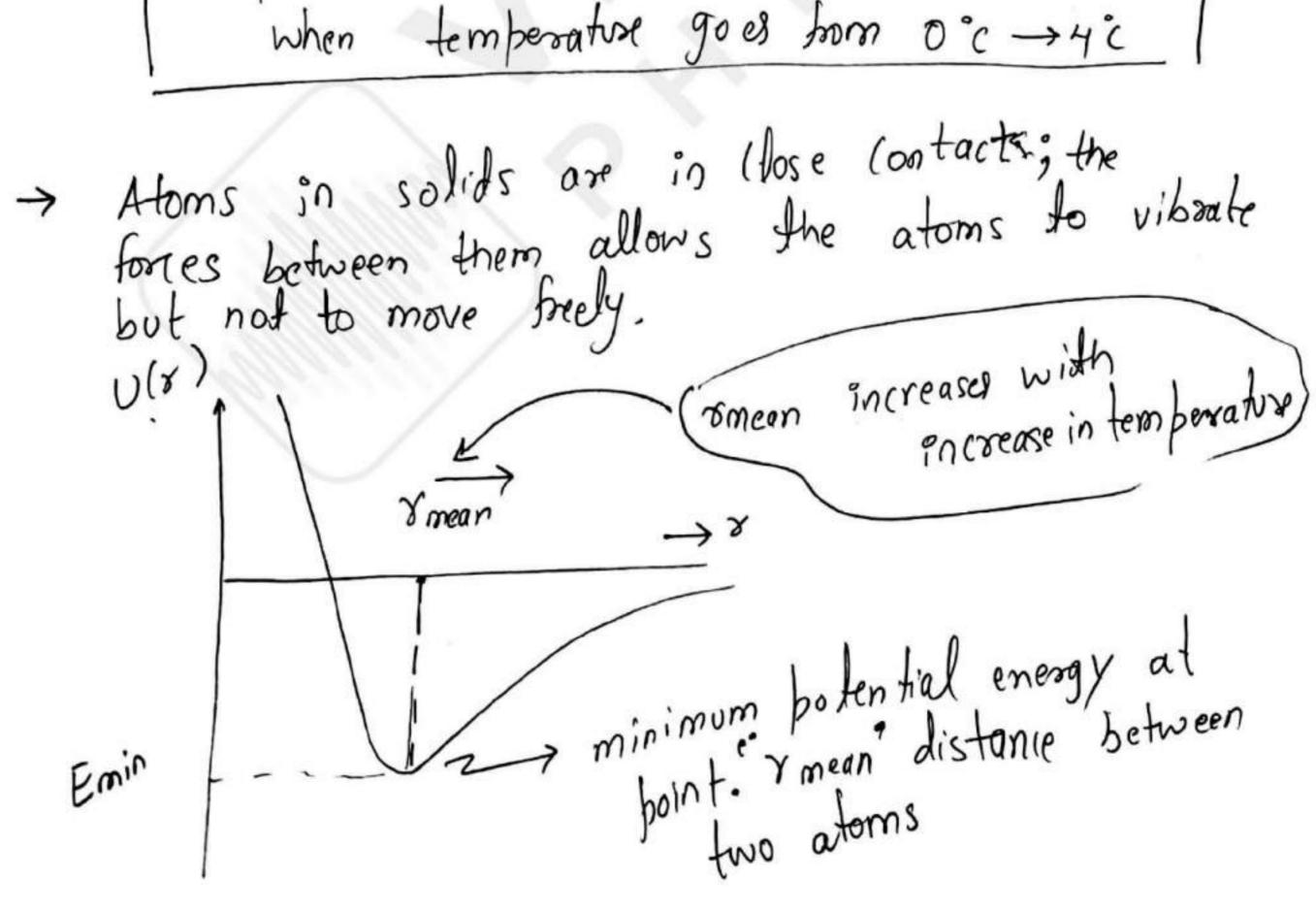


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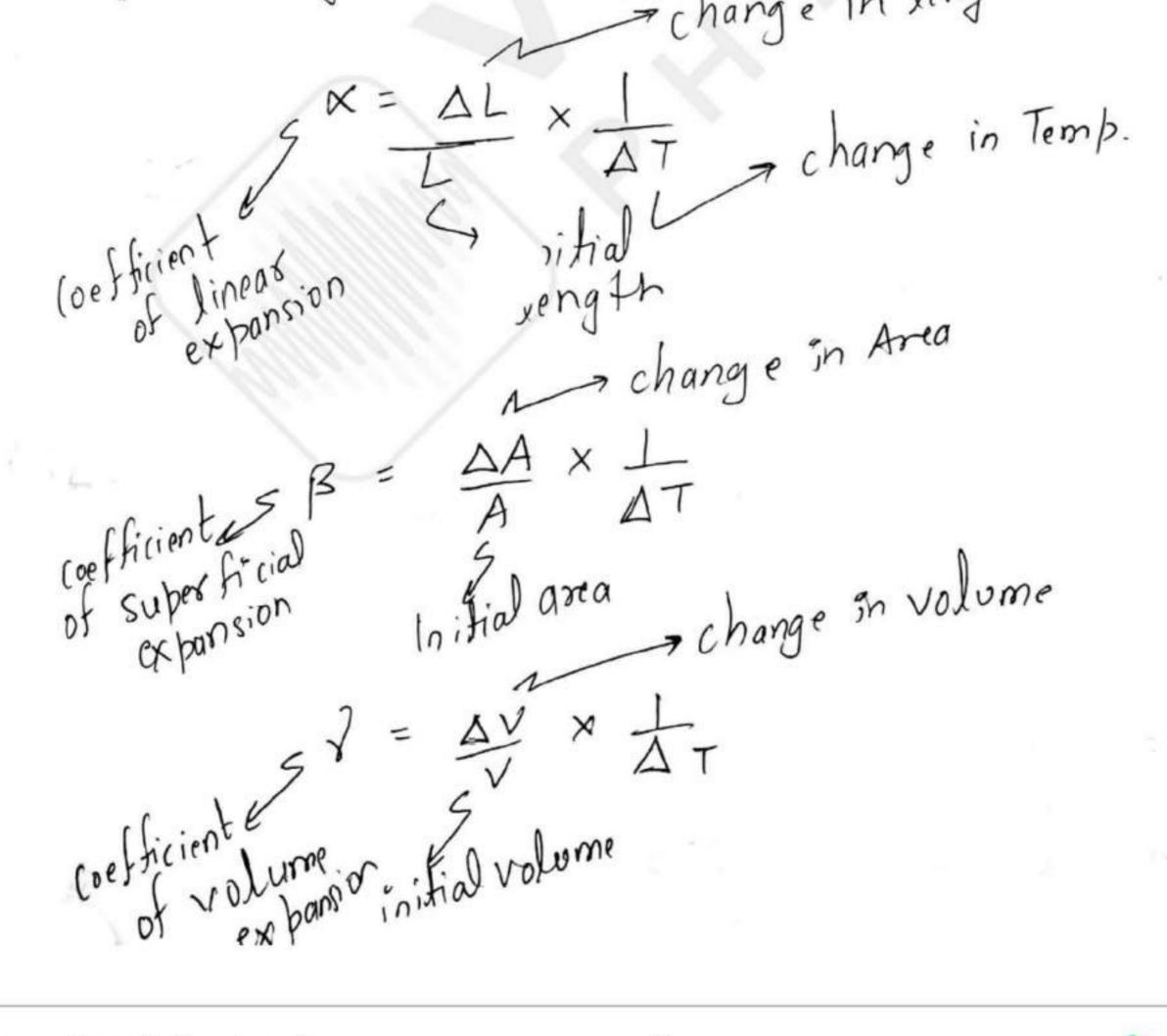


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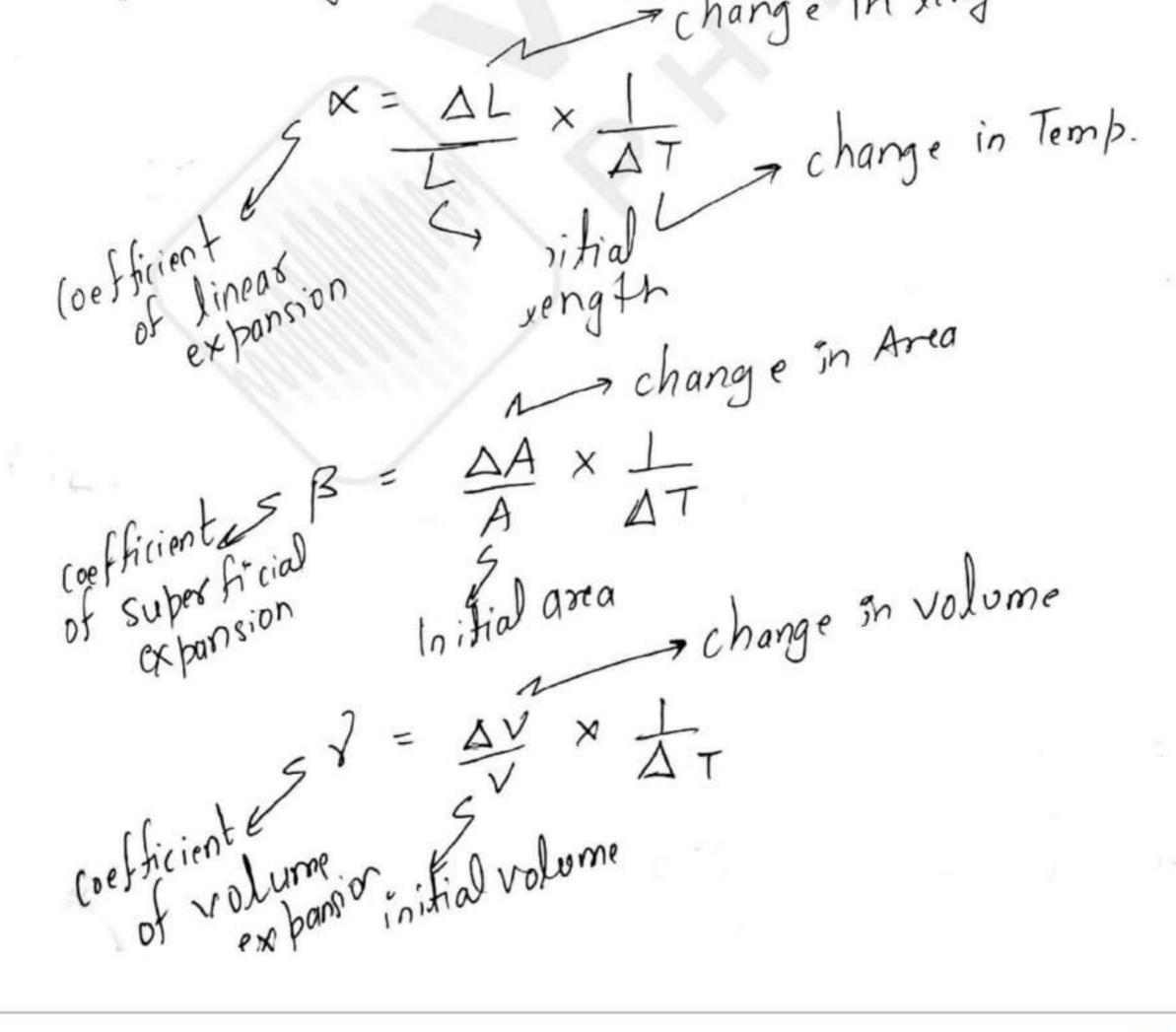
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Relation between x, B, 2

As,  $\Delta L = L \times \Delta T$   $\Delta A = A \beta \Delta T$  $\Delta V = V \times \Delta T$ 

$$L' = L + \Delta L = L + L \times \Delta T$$

$$L' = L(1 + \times \Delta T)$$

$$A' = A(1 + \beta A T)$$

$$V' = V(1 + \gamma A T)$$
Now assuming square plate of side L

1.0

$$\frac{A'}{A} = \left(\frac{L'}{L}\right)^{2} = (1 + \kappa AT)^{2} = (1 + 2\kappa AT)$$
  
using Binomial  
as  $\kappa AT <<1$   
for assuming cube of side L  
 $\frac{V'}{V} = \left(\frac{L'}{L}\right)^{3} = (1 + \kappa AT)^{3} = (1 + 3\kappa AT)$   
 $\frac{V}{V} = 3\kappa$   
 $\frac{V' = 3\kappa}{\kappa \cdot \beta \cdot \gamma = 1:2:3}$ 

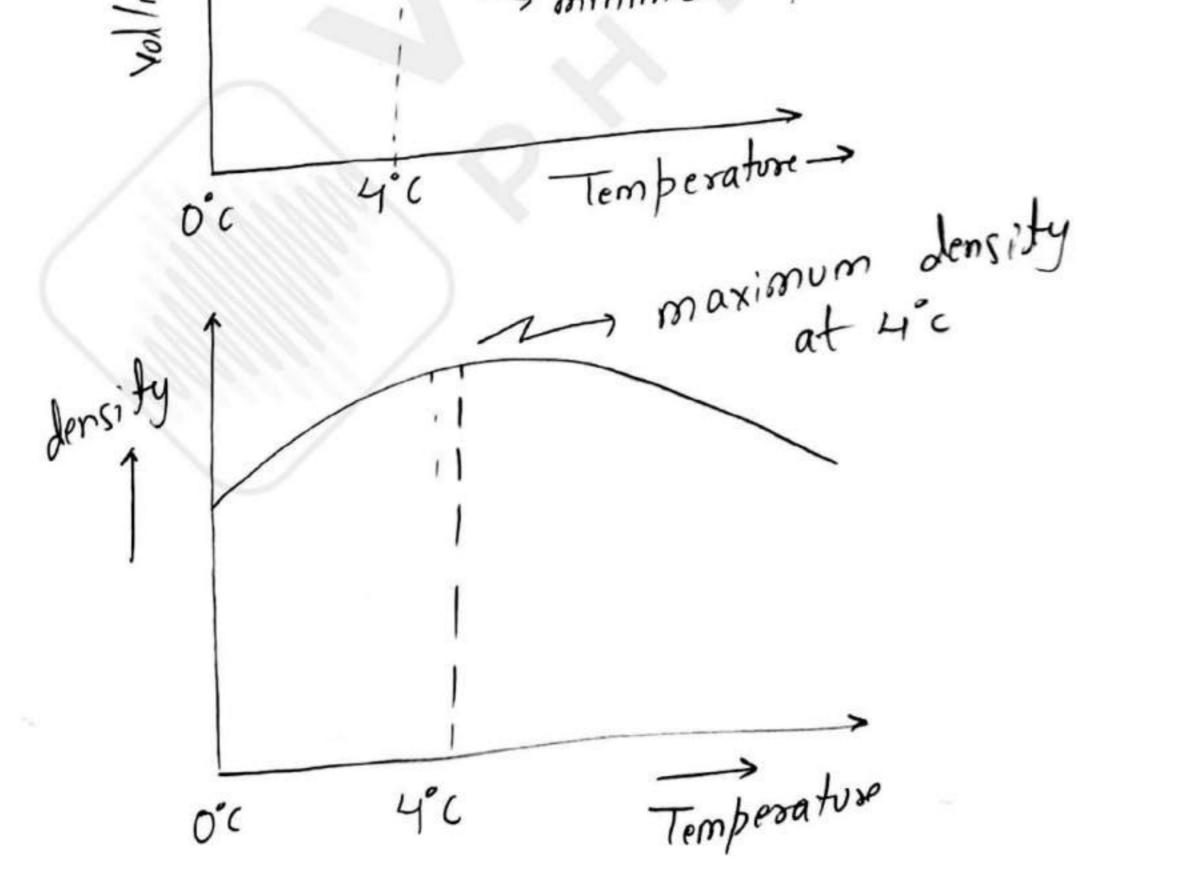
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Relation between K, B, Y

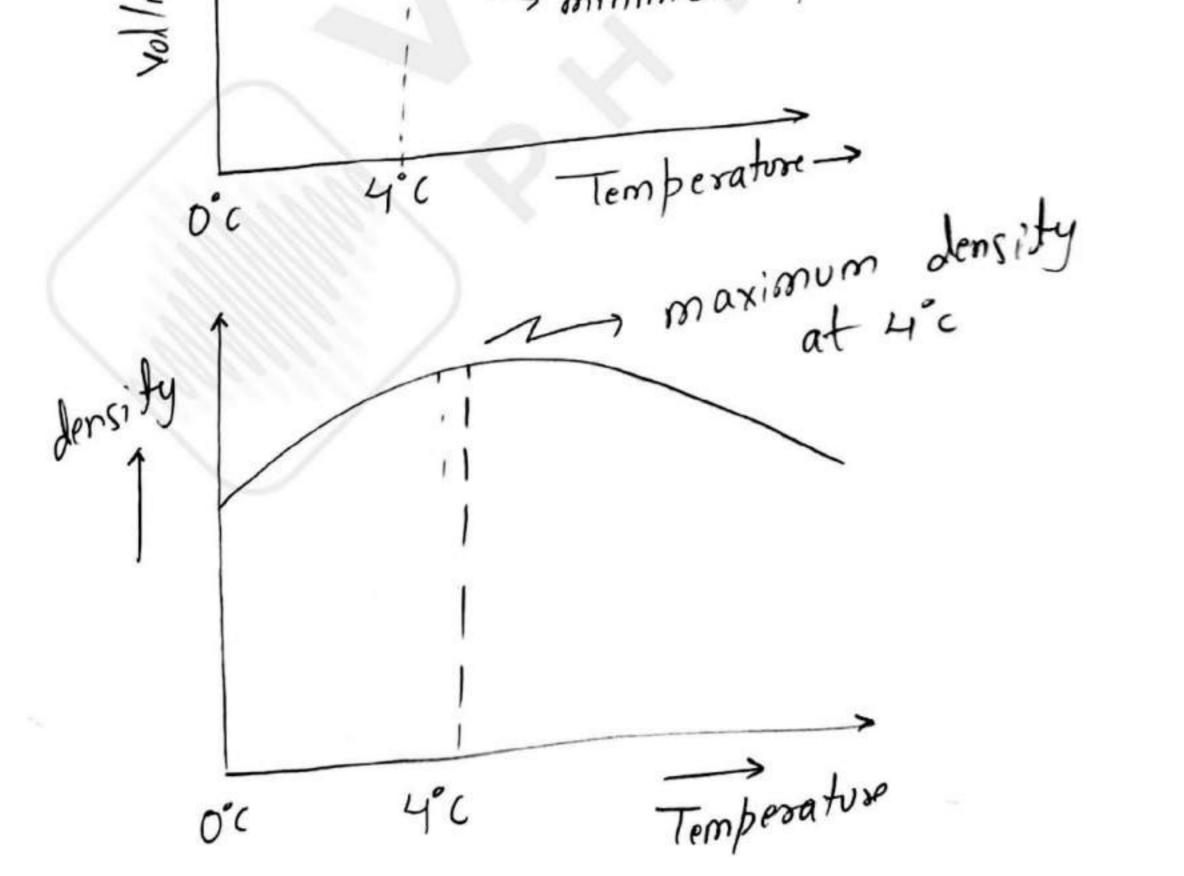
As,  $\Delta L = L \ltimes \Delta T$   $\Delta A = A \beta \Delta T$   $\Delta V = V \vartheta \Delta T$   $L' = L + \Delta L = L + L \ltimes \Delta T$   $L' = L(1 + \ltimes \Delta T)$   $\& A' = A(1 + \beta \Delta T)$   $V' = V(1 + \vartheta \Delta T)$ Now  $\therefore$  assuming square plate of side L  $\Rightarrow \frac{A'}{\Lambda} = (\frac{L'}{L})^2 = (1 + \ltimes \Delta T)^2 = (1 + 2 \ltimes \Delta T)$  $\downarrow = 2$ 

$$\Rightarrow \boxed{\beta = 2 \times}$$
  
for assuming cube of side L  
$$\frac{V'_{-}}{V} = \left(\frac{L'_{-}}{L}\right)^{3} = (1 + \times AT)^{3} = (1 + 3 \times AT)$$
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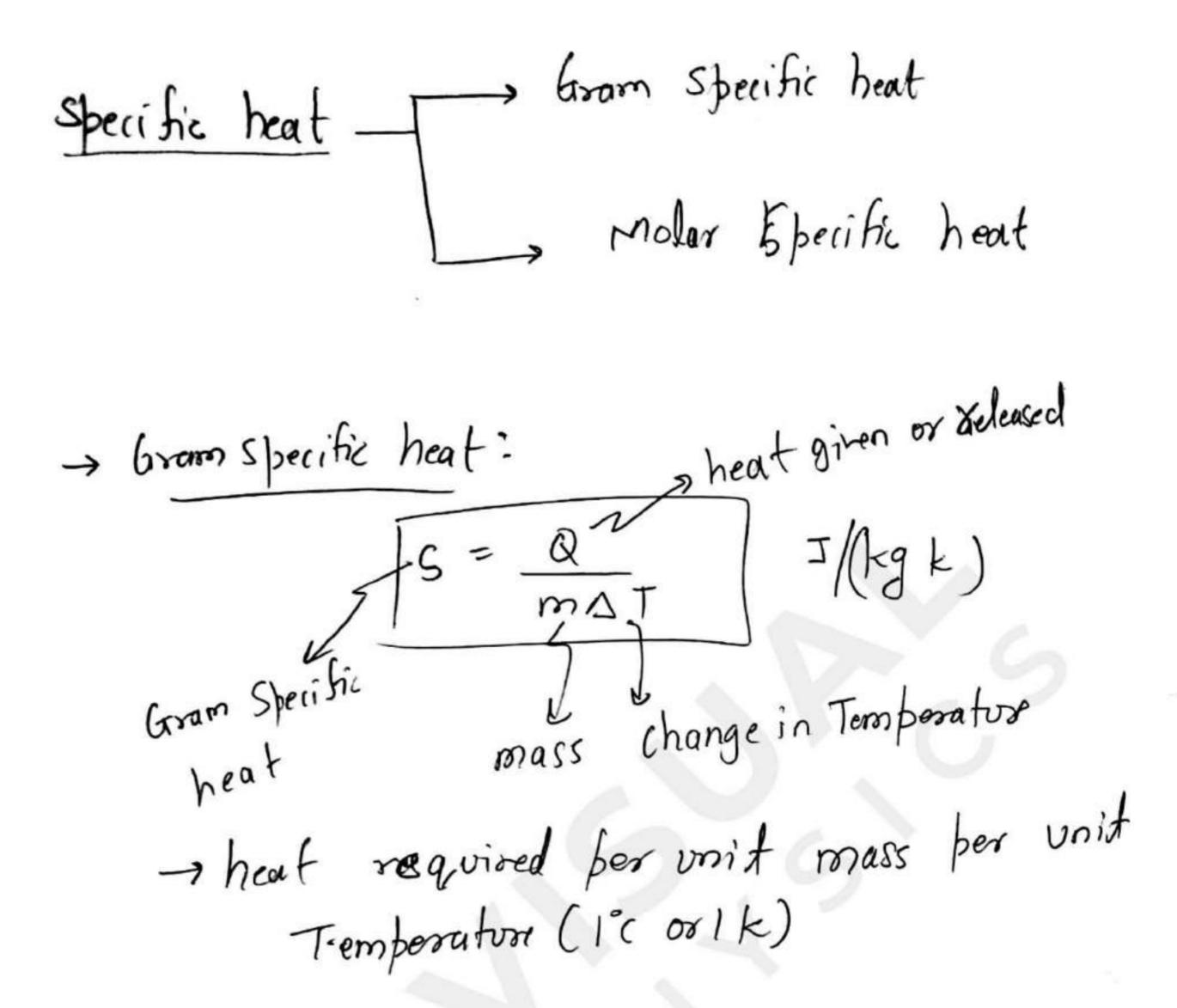


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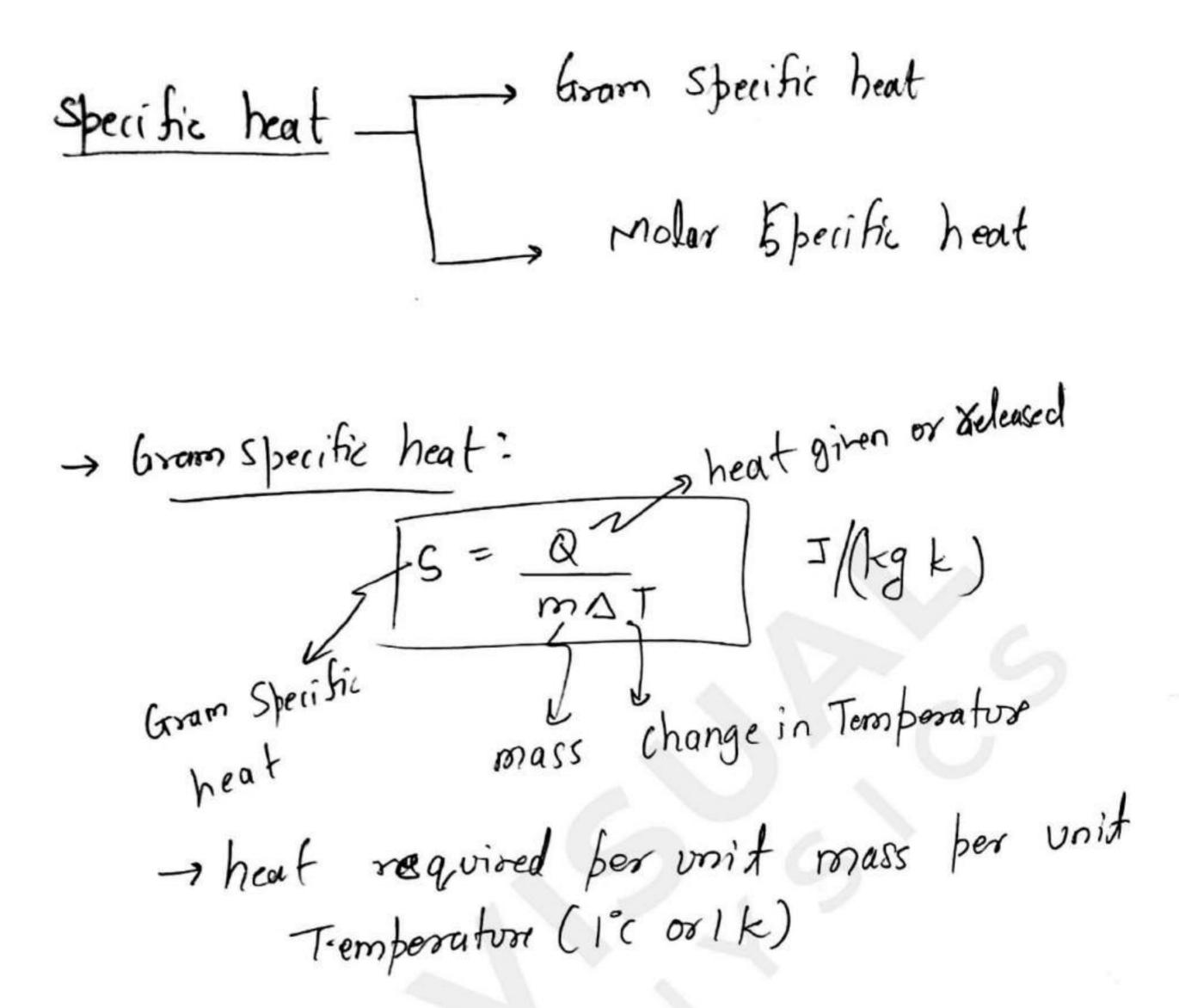


-> malar specific heat:

JU AT number of moles molar specifiz

\* heat required to increase 1°C or 1k temperature of 1 mode of substance.





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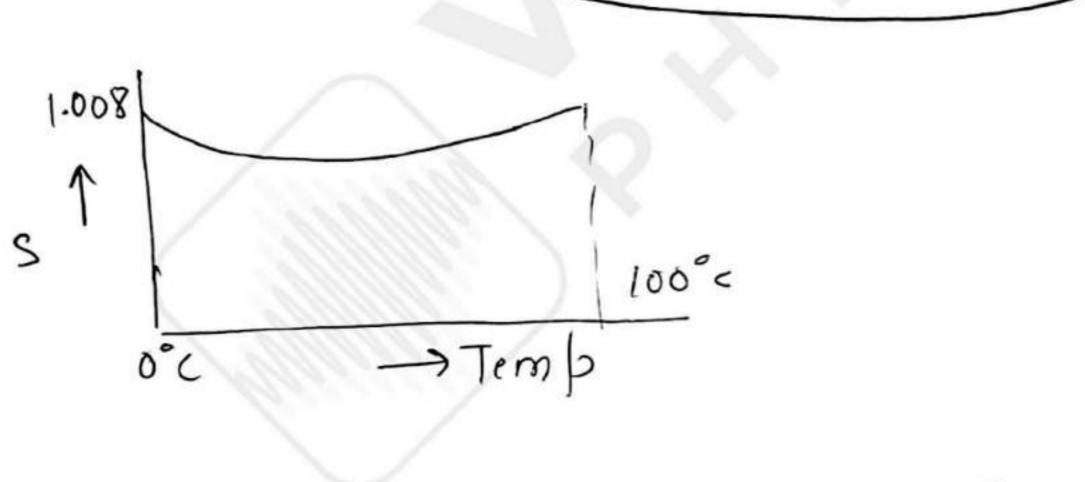


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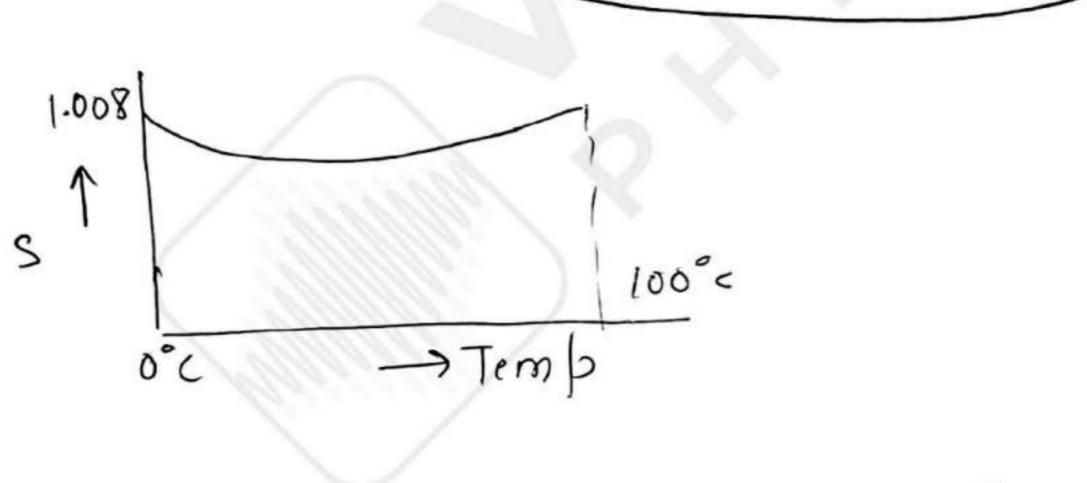


Specific heat afwater: Almost Constant. And very large as well: 1 cal/gc H-18 J/g C X hence used in scalator





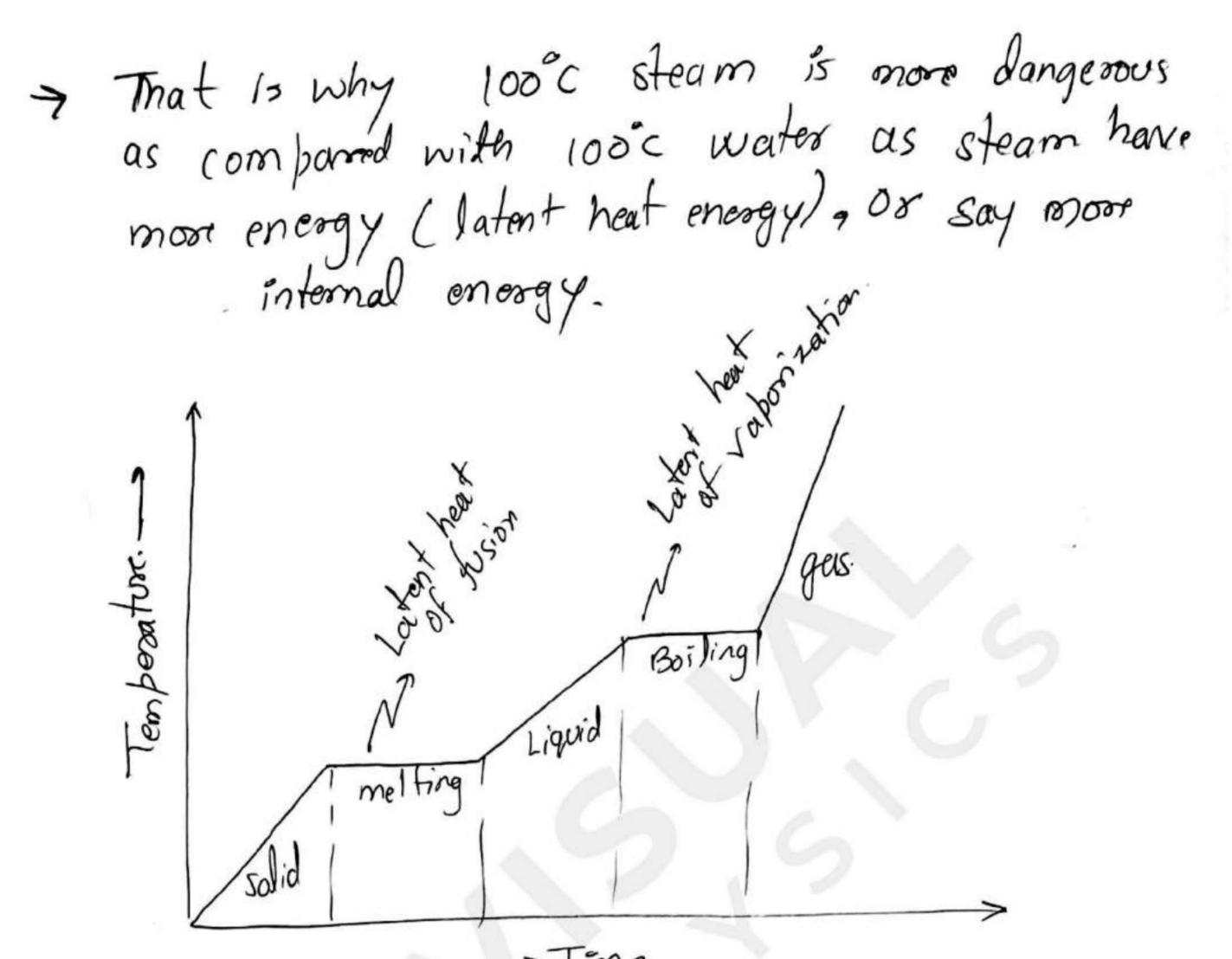
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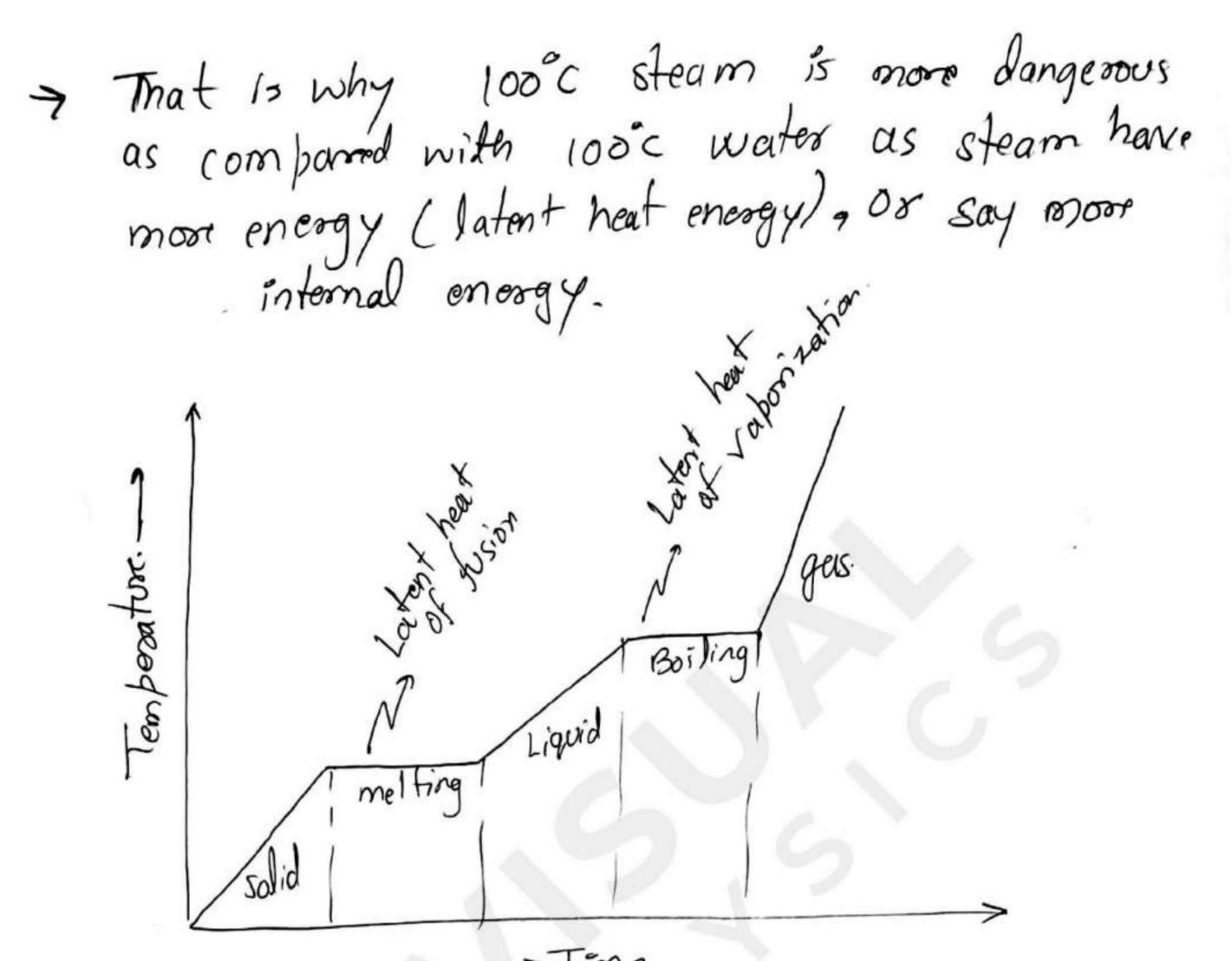




















→ find Temberature => 
$$T_L \leq T_f \leq T_H \sim$$
 higher temberature  
lower final temp  
→ state of body changes at constant Temberature  
 $\overline{(Q = mL)}$   
→  $m_1 C_1 (T_I - T) = m_2 C_2 (T - T_2)$   
 $\overline{(T = m_1 C_1 T_1 + m_2 C_2 T_2)}$ 





