

## SHORT NOTES

CHAPTER

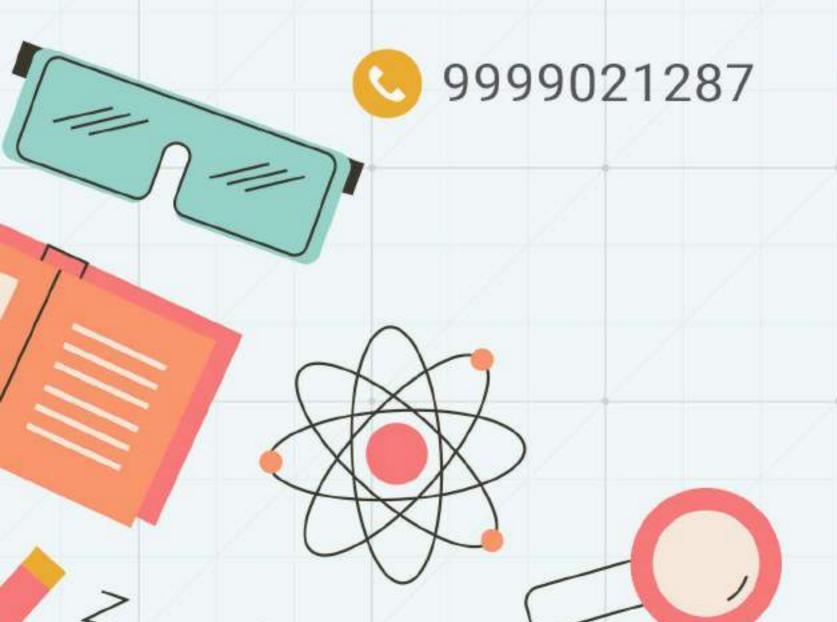
## Electric Forces And Fields

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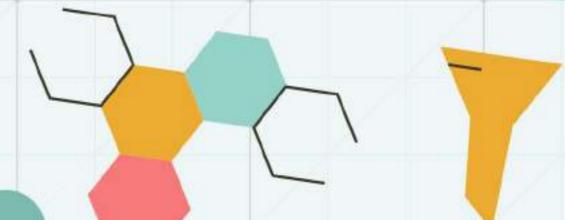


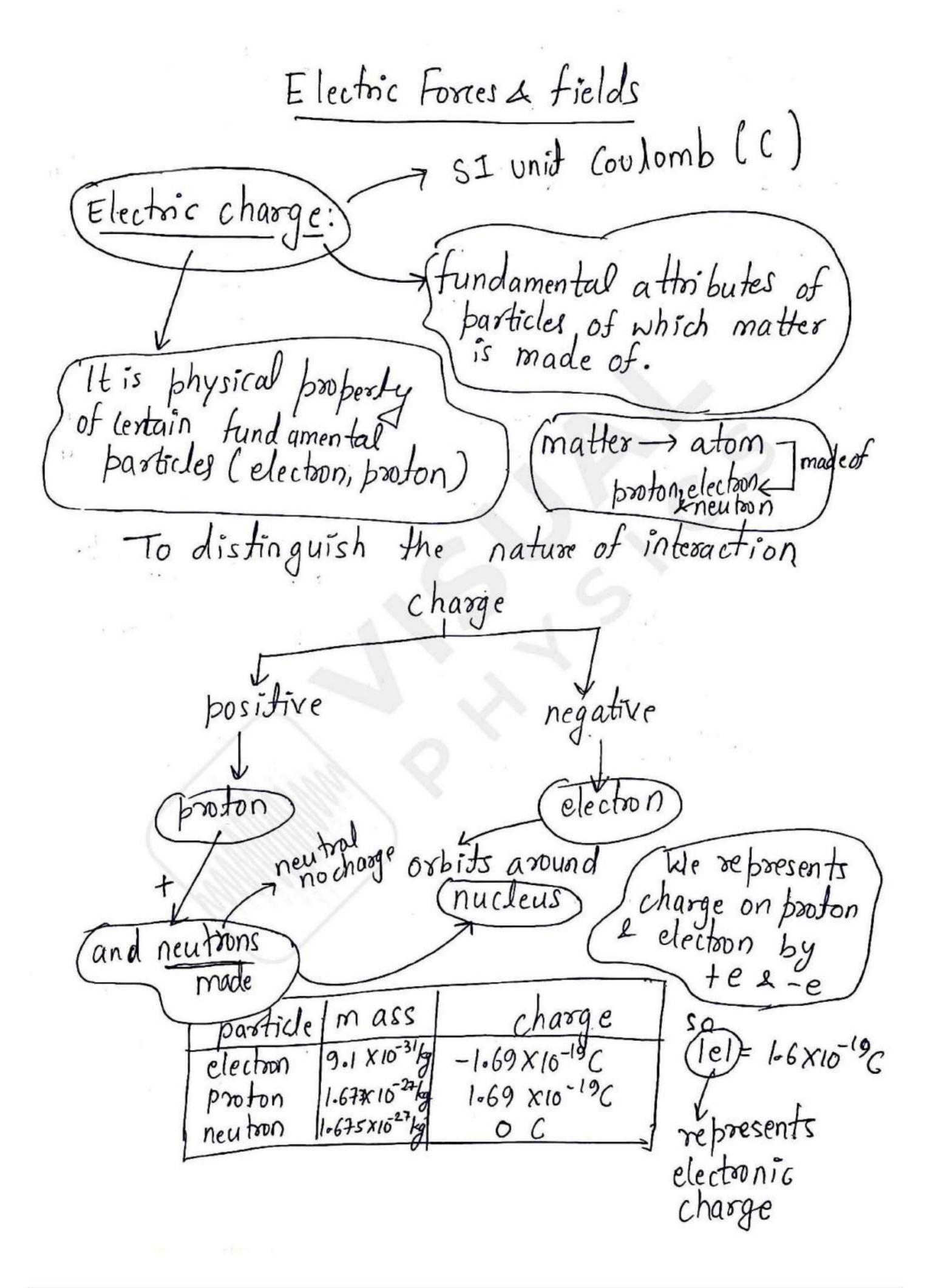




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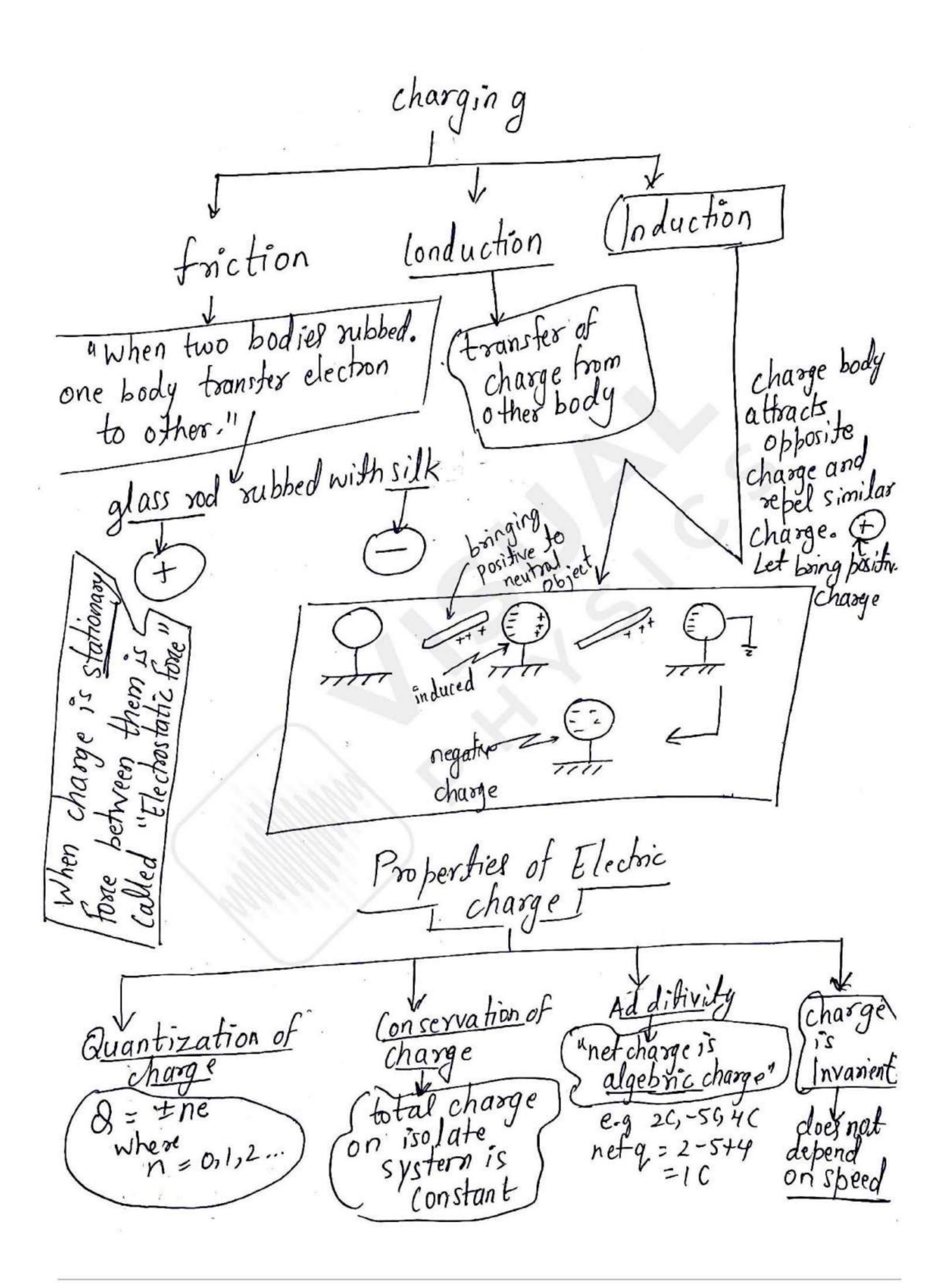






> like charges repels and unlike charges neudeus + >> >> de pels ordinary, matter contains equal La dectron revolves number of protons and electrons around newdeus -> charged by -z (protons can't be removed from "To charge a body negatively ]
electrons given to it To charge a body positively --> work to be done on a body it -order to remove an electron from its Surface







(outomb's law: 4116 of free space 1 60 = 8.85 X10-12 C2N Coulomb's law: --- applicable only for point charges

It is inversed square law;

Third law

obey's Newton's third law

force acts along the line joining

two particle

The lectrostatic force is conservative force. Fiz - force on 2 by 1 Fiz - force on 1 by 2

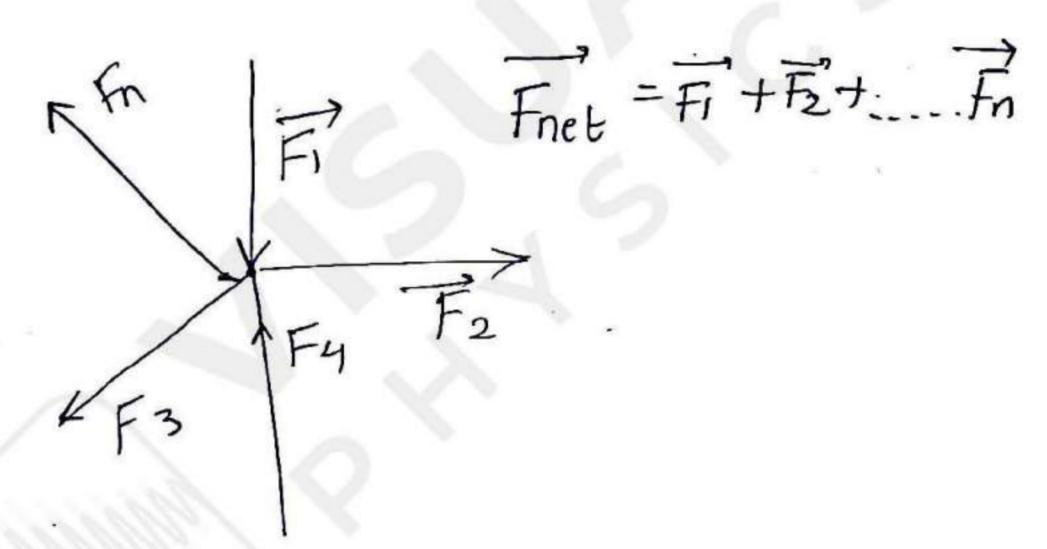


and as  $|\vec{F_{12}}| = |\vec{F_{21}}| \rightarrow \text{Newton's third law}$ 

$$F_{12} = -F_{21}$$

$$F_{12} = -\frac{q_1q_2}{4\pi\epsilon} \left( \overrightarrow{\gamma_2} - \overrightarrow{\gamma_1} \right) = -F_{21} \left( \frac{\overrightarrow{\gamma_1} - \overrightarrow{\gamma_1}}{|\overrightarrow{\gamma_1} - \overrightarrow{\gamma_1}|^3} \right) = -F_{21} \left( \frac{\overrightarrow{\gamma_2} - \overrightarrow{\gamma_1}}{|\overrightarrow{\gamma_1} - \overrightarrow{\gamma_1}|^3} \right)$$

superposition principle:

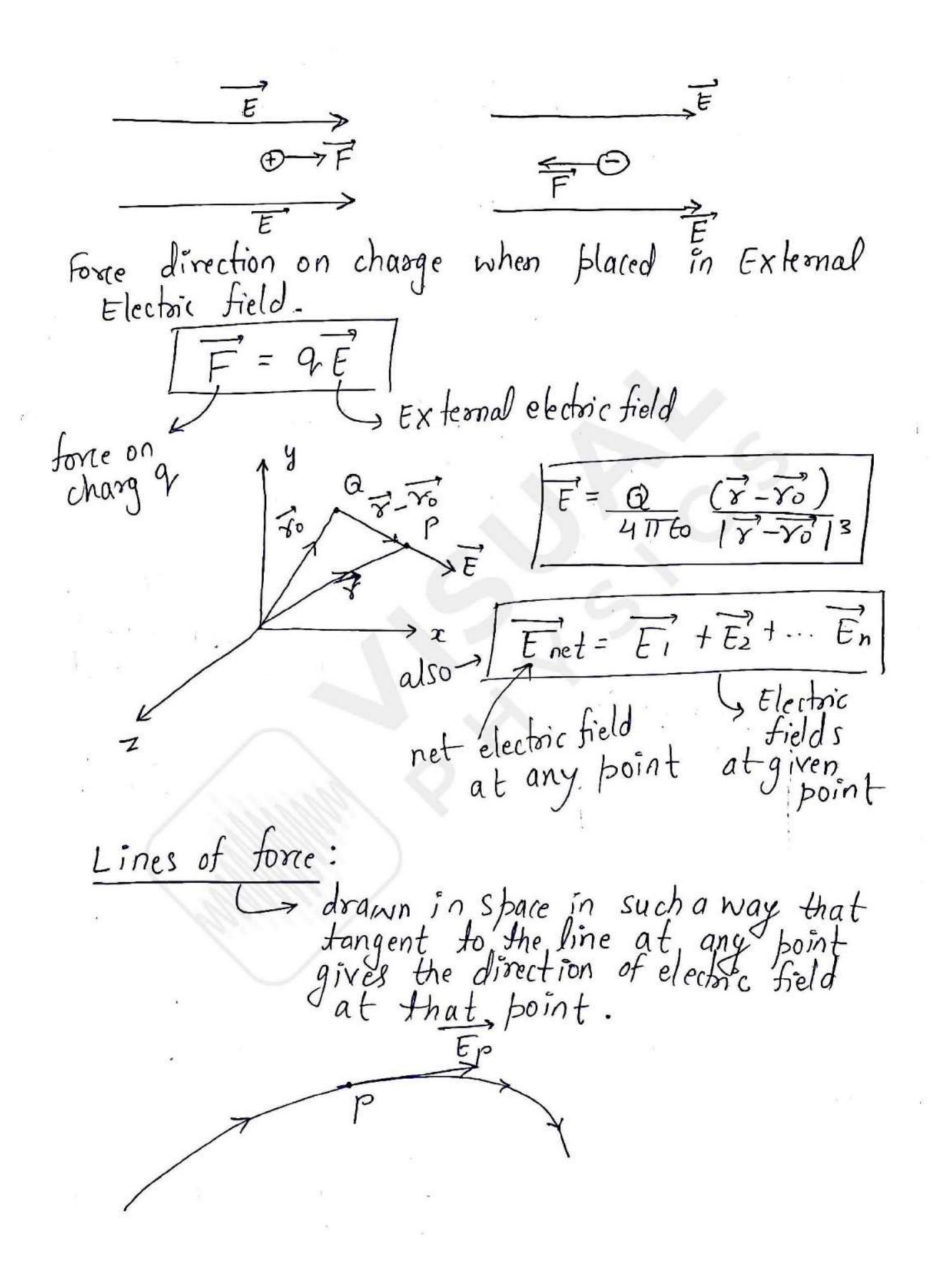


# To find the net force either He can use Vector addition formula or can first resolve the vectors in given 2 or 3 directions (Depending on whether it is a 2D or 3D question) And then using algebric sum in each direction and Fret =  $\sqrt{f_x^2 + f_y^2 + f_z^2}$  to get final answer.



Electric field Aspace around a charge in its influence can be test any other charged particle. > charge of the particle distance, at which we are finding intensity. 4TTE 82 electors field in tensify == lim = 200 go E point inward, for negative charge For positive charge - sphenically symmetric



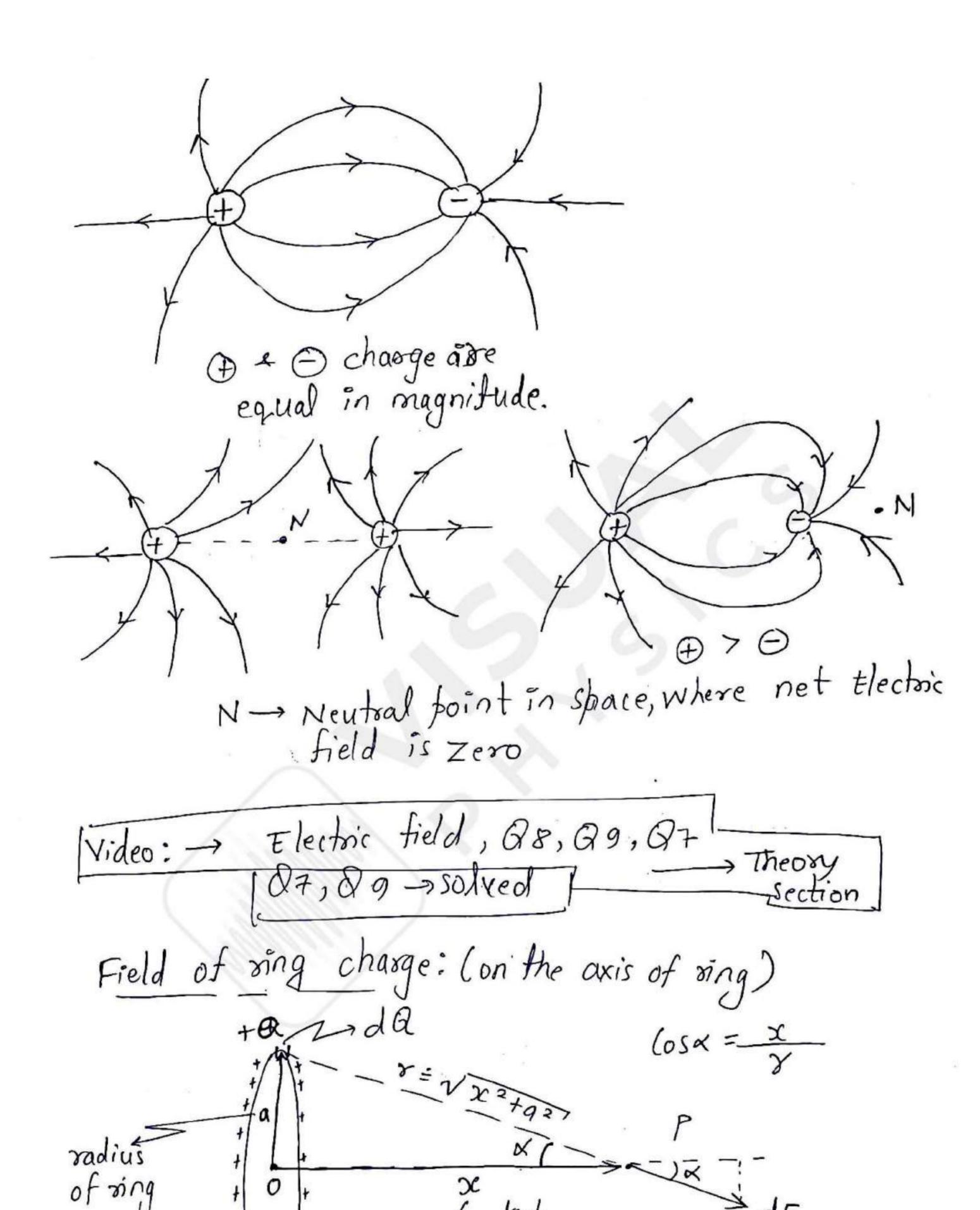


-> Electric line of force start from pointive charge and ends at negative charge. The tangent drawn gives direction of force acting on bositive charge. -> Unit -> N/C -> Can never be closed loop.

-> Electric field lines can never cross each -> E' field inside a conductor is always zero, in static condition => E field lines can never end and starts at same point. \* Electoic field intensity = number of E field lines

passing through a unit

perpendicular surface Area. graphically we can say  $\overrightarrow{E_1} > \overrightarrow{E_2}$ direction Both mag x and direction not constant not constant magnitude of E both mag and direction (onstant.

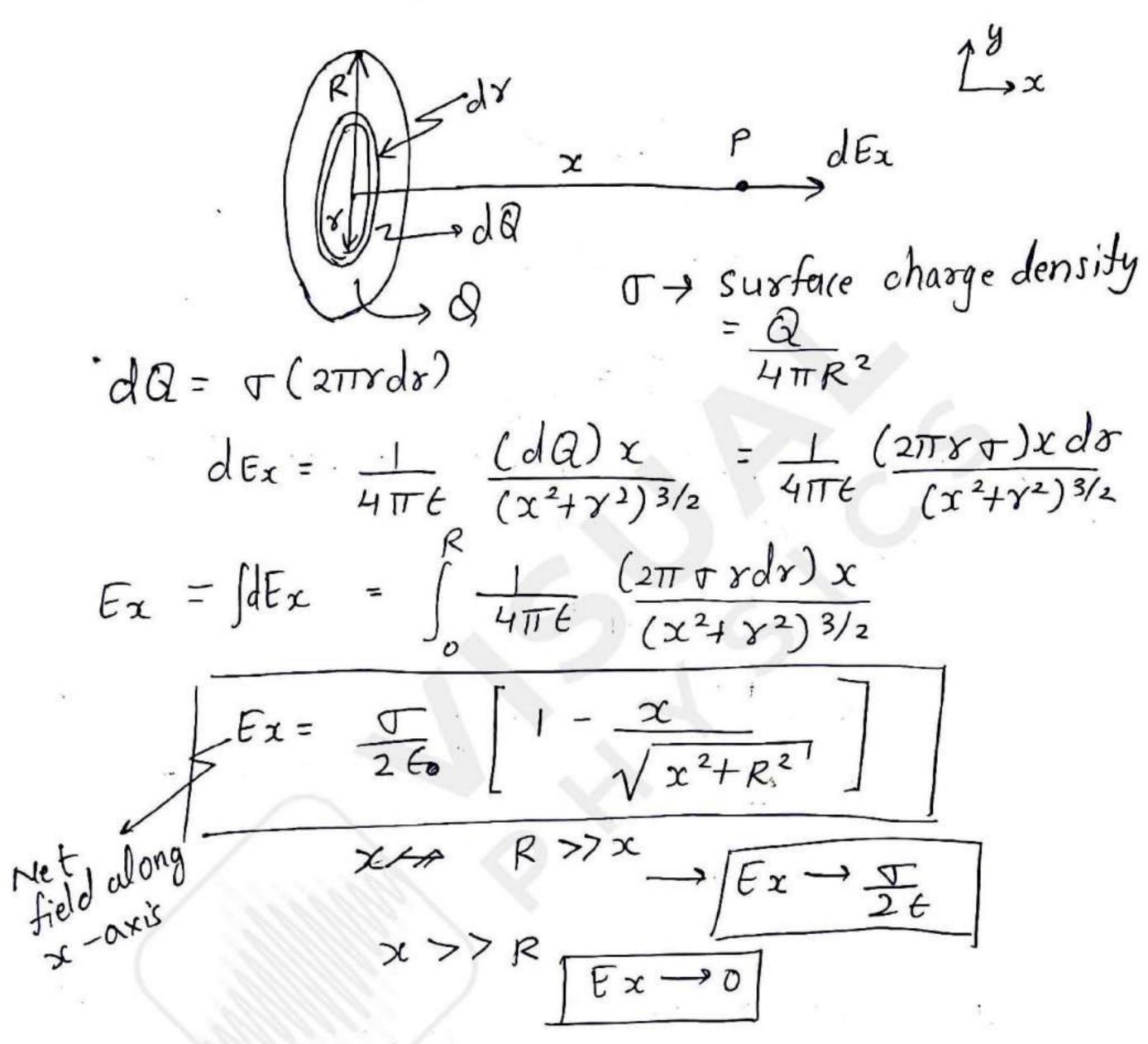




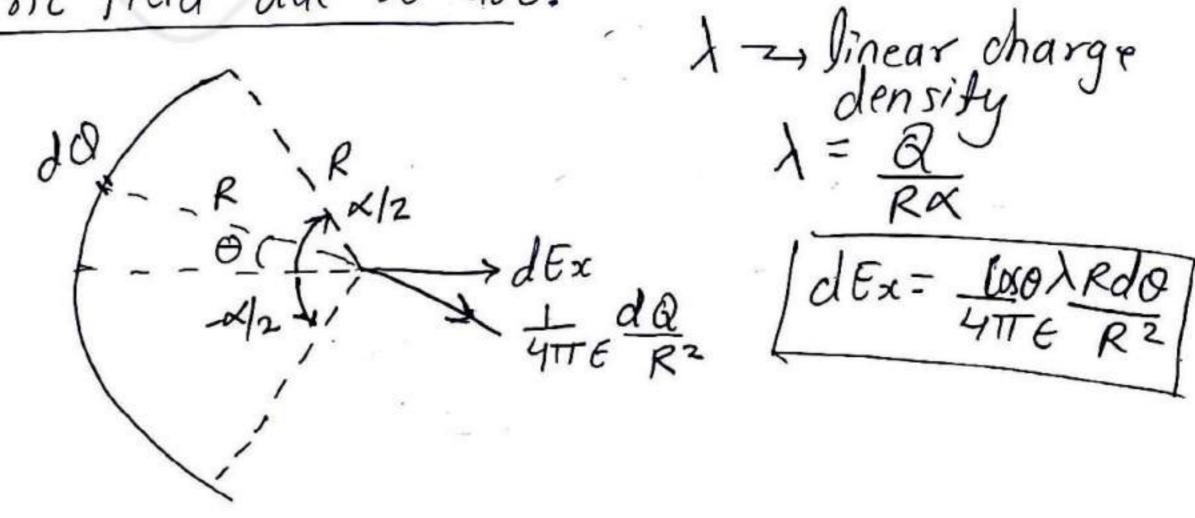
dESina dE(osx delind dElosk 41TE (X2+a2)3/2  $x \rightarrow 0$ ,  $E_{net} \rightarrow 0$   $E_{max} = \frac{d}{dx} E_{net} = 0$ N.E Emon= Q 6 \sqrt{371 \cap 2 2m= 9/521  $xm = \frac{a}{\sqrt{2}}$ 



## Field of uniformly charged disk: (along axis)



Electric field due to arc:





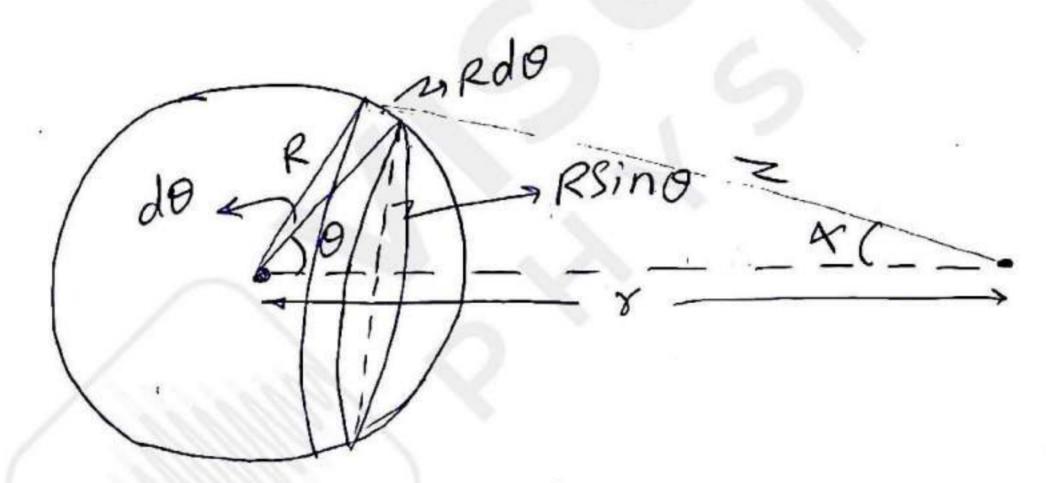
Enet = 
$$\int \frac{1}{4\pi t} \frac{\lambda R d\theta}{R^2} (os\theta)$$

$$= -\kappa/2$$

$$Enet = \frac{1}{4\pi t} \frac{\lambda}{R} \int_{-\kappa/2}^{\kappa/2} (os\theta d\theta)$$

$$= \frac{|E|}{R} \frac{\lambda}{R} \frac{2 \sin(\kappa/2)i}{R}$$

$$= \frac{|E|}{R} \frac{\lambda}{R} \frac{2 \sin(\kappa/2)i}{R}$$



$$dQ = (2\pi R Sino)(RdO)Q = \frac{Q}{4\pi R^2} = \frac{Q}{2} Sinodo$$

$$dE = \frac{1}{4\pi E} \frac{dQ}{Z^2} (osk$$

$$z^{2} = R^{2} + r^{2} - 2 Rr (os\theta)$$

$$z dz = Rrsined\theta$$

$$(os x = z^{2} + r^{2} - R^{2})$$



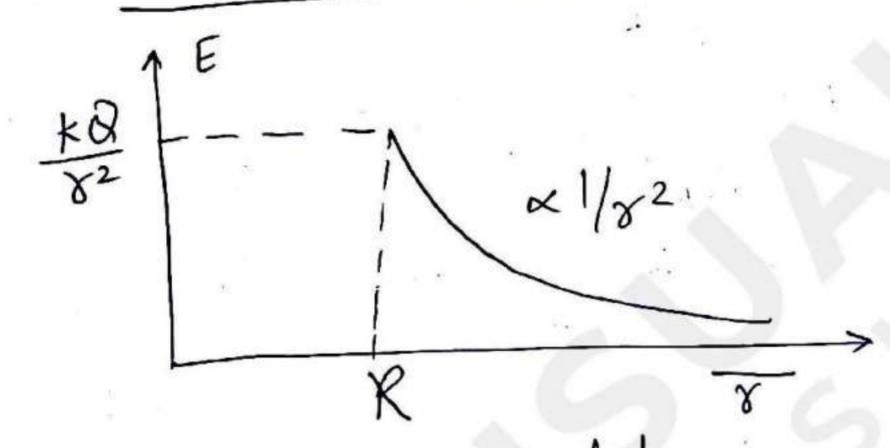


$$dE = \frac{1}{4\pi t} \frac{Q}{2} \frac{zdz}{Rx}$$

$$z^{2}$$



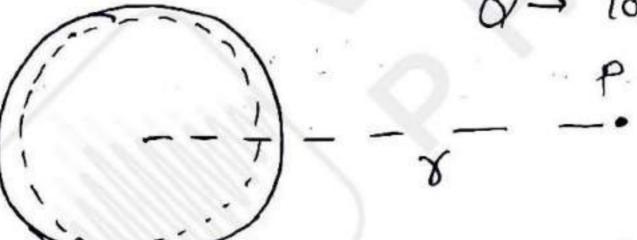
When point is inside  $(R-Y) \rightarrow (R+Y)$ on solving  $E \rightarrow 0$   $\Rightarrow \text{ field inside a shell } = 0$ 



Field due to Sphene:

g\_, volume charge density

8 -> Total charge.



considered to be made up of infinite shells,

and as shell of da & harge dE = KdQ = - IITE

So Eret = SdE = Litte Sda





 $E = \frac{kQ}{Y^2} \rightarrow Y \nearrow R$   $E \neq \frac{kQ}{Y^2} \rightarrow Y \nearrow R$ So when point is inside, Q' = gV'neglected  $E \nearrow F$ E

Field due to a line of charge

Inear charge density 8-net charge dEy = dEsino  $E_y = \int \frac{\lambda k}{x^2 + x^2} Sinodx = \frac{k\lambda}{x} \int \frac{Sec^2 O Sino}{1 + tan^2 O} dO$ if line charge is infinity long Ey ->0, Ex = 2K1



X-990, B->0

$$|Ey = \frac{k\lambda}{r}, Ex = \frac{k\lambda}{r}|$$

$$dE = k \lambda \frac{dx}{x^2}$$

$$Ey = \int_{a}^{d+1} \frac{k\lambda}{x^2} dx$$

$$Ey = k\lambda \frac{1}{d(d+1)}$$
When 1>>d

Field due to sheet: dx Enet - along x direction

5 -> Surface charge density

A -> linear charge density

\[ \lambda = \tau d\tau \]



So,  $dE = \frac{2kA}{\sqrt{x^2+z^2}}$  $\sqrt{x^2 + z^2}$   $\sqrt{x^$ Enet = 2 ko [.tan-1(=) - tan-1(==) 2KT ( T/2 + TT/2) Enet- JE



Electric Dipole: Two equal and opposite point charge placed at small distance zaelectric dipole. dipole moment disection



## Electoic field at axis of dipole:



Electric field at equi torial line by dipole

Pret = 
$$\frac{1}{2}$$
  $\frac{1}{2}$   $\frac{1}{2}$ 



General Expression So, P(os0 411 E Y3 Dipole in External field: net torque about P = (9ESin0)(d/2) + (9ESin0)(d/2) T = 9EdSin0



Or T= PESino) p=qd O8 = FXE if 0.00, T00 -stable Equilibrium Gas Torqueis re storing if 0-> 180 T->0 unstable equilibrium cas Torque is not restoring QE1 7 q, Ez E & Constant so Fret #0
2 Tret #0 so dipole in non-uniform field = > Fret \$0 & also Tref \$0

